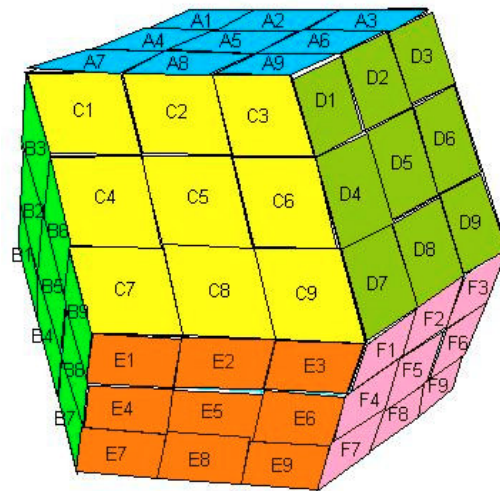


In the following the letters C,D,E, ... mean the turning of the corresponding slice by 180°.

Only the turning of slice C and two turnings of the whole rhombododecahedron (front 90° V and right above 90° R) are predefined. With this all other turns can be constructed. For example $D = \underline{V}CV$.

Notation:

\underline{V} is the inverse of V. The elements in round brackets change place in a cycle. $[RF]$ is the commutator of \underline{R} and F and means $\underline{R}F\underline{R}\underline{F}$.



The near neighbourhood commutator NNC

$[CD]$ gives an edge cycle (C4 C6 D6), a 4-Vertex cycle (C9 D3 C1) and a 3-vertex cycle (C7 C3 D9). The elements are quoted with only one representative label.

The far neighbourhood commutator FNC $[CF]$ yields a pure 4-vertex cycle (C1 C9 F9).

The edges are organized in 4 separated orbits. They correspond to the “zones” of our polyhedron which is a zonohedron. You can observe that all edge elements return to their home place without any twist. This is also true for the 3-vertices (corner with 3 edges) but NOT for the 4-vertices.

A 3-vertex cycle without disturbing edges can be built as follows. Turn the operator $[CD]$ by 120° around C7 to get $[CD]^* = \underline{V}\underline{R}\underline{V}\underline{V} [CD] (\underline{V}\underline{R}\underline{V}\underline{V})^{(-1)}$. The two operators have only C7 in common so that their commutator $[[CD] [CD]^*]$ gives (C3 C7 E9).

You also need an operation which reorients 4-vertices. Lets work around C9 to build this operator. The sequence DAC brings C9 back but turned. The following 4-vertex cycle for C9 doesn't use the the operations D,A and C : $[EI]$. Hence the commutator $[DAC [EI]]$ yields two 90° turns C9+ and J1- without disturbing anything else.

With all this sequences you can apply the following strategy

- place all edge elements with NNC's
- place all 3-vertices with $[[CD] [CD]^*]$
- place all 4-vertices with $[CF]$
- orient the 4-vertices with $[DAC [EI]]$

An Excelsheet with the True Rubik Rhombododecahedron is available at baumann@mcnet.ch.